

Math 2C03 2021 Pracpb 12 Sec 7.4-5 (18698062)

Due: Sat, May 1, 2021 11:00 PM EDT

Question

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Description

Do as many as you need to feel comfortable.

1. Question Details

ZillDiffEQ9 7.4.024. [3897234]

Use [Theorem 7.4.2](#) to evaluate the given Laplace transform. Do not evaluate the convolution integral before transforming. (Write your answer as a function of s .)

$$\mathcal{L}\{t^2 * te^t\}$$

Need Help?

[Read It](#)

2. Question Details

ZillDiffEQ9 7.4.031. [3755997]

Use [Theorem 7.4.2](#) to evaluate the given Laplace transform. Do not evaluate the convolution integral before transforming. (Write your answer as a function of s .)

$$\mathcal{L}\left\{\int_0^t \tau e^{t-\tau} d\tau\right\}$$

Need Help?

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3. Question Details

ZillDiffEQ9 7.4.032. [3897249]

Use [Theorem 7.4.2](#) to evaluate the given Laplace transform. Do not evaluate the convolution integral before transforming. (Write your answer as a function of s .)

$$\mathcal{L}\left\{\int_0^t \sin(\tau) \cos(t-\tau) d\tau\right\}$$

Need Help?

[Read It](#)

4. Question Details

ZillDiffEQ9 7.4.041. [3745273]

Use the Laplace transform to solve the given integral equation.

$$f(t) + \int_0^t (t - \tau)f(\tau)d\tau = t$$

$$f(t) = \boxed{}$$

Need Help?

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5. Question Details

ZillDiffEQ9 7.4.043. [3745185]

Use the Laplace transform to solve the given integral equation.

$$f(t) = te^t + \int_0^t \tau f(t - \tau) d\tau$$

$$f(t) = \boxed{}$$

Need Help?

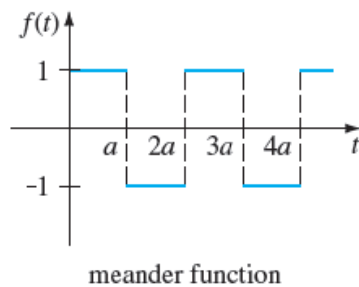
Read It

6. Question Details

ZillDiffEQ9 7.4.053. [3756086]

Use Theorem 7.4.3 to find the Laplace transform $F(s)$ of the given periodic function.

$$F(s) = \boxed{}$$



Need Help?

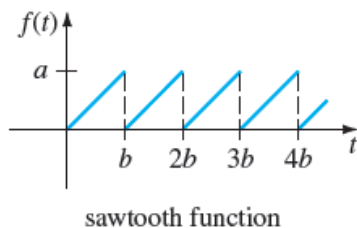
Read It

7. Question Details

ZillDiffEQ9 7.4.055. [3756051]

Use Theorem 7.4.3 to find the Laplace transform $F(s)$ of the given periodic function.

$$F(s) = \boxed{}$$



Need Help?

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8. Question Details

ZillDiffEQ9 7.4.067. [3745152]

Solve the integral equation

$$f(t) = e^t + e^t \int_0^t e^{-\tau} f(\tau) d\tau.$$

$$f(t) = \boxed{}$$

Need Help?

Read It

9. Question Details

ZillDiffEQ9 7.5.001.EP. [4903627]

Consider the following initial-value problem.

$$y' - 5y = \delta(t - 3), \quad y(0) = 0$$

Find the Laplace transform of the differential equation. (Write your answer as a function of s .)

$$\mathcal{L}\{y\} = \boxed{}$$

Use the Laplace transform to solve the given initial-value problem.

$$y(t) = \boxed{} + \left(\boxed{} \right) \mathcal{U}\left(t - \boxed{}\right)$$

Need Help?

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10. Question Details

ZillDiffEQ9 7.5.002. [4568149]

Use the Laplace transform to solve the given initial-value problem.

$$y' + y = \delta(t - 1), \quad y(0) = 9$$

$$y(t) = \boxed{} + \left(\boxed{} \right) \mathcal{U}\left(t - \boxed{}\right)$$

Need Help?

Read It

Watch It

11. Question Details

ZillDiffEQ9 7.5.003. [3745382]

Use the Laplace transform to solve the given initial-value problem.

$$y'' + y = \delta(t - 4\pi), \quad y(0) = 0, \quad y'(0) = 1$$

$$y(t) = \left(\boxed{} \right) + \left(\boxed{} \right) \cdot \mathcal{U}\left(t - \boxed{}\right)$$

Need Help?

Read It

12. Question Details

ZillDiffEQ9 7.5.005. [3745378]

Use the Laplace transform to solve the given initial-value problem.

$$y'' + y = \delta\left(t - \frac{1}{2}\pi\right) + \delta\left(t - \frac{9}{2}\pi\right), \quad y(0) = 0, \quad y'(0) = 0$$

$$y(t) = \left(\boxed{} \right) \mathcal{U}\left(t - \frac{\pi}{2}\right) + \left(\boxed{} \right) \mathcal{U}\left(t - \boxed{}\right)$$

Need Help?

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13. Question Details

ZillDiffEQ9 7.5.007.MI.SA. [4605485]

This question has several parts that must be completed sequentially. If you skip a part of the question, you will not receive any points for the skipped part, and you will not be able to come back to the skipped part.

Tutorial Exercise

Use the Laplace transform to solve the given initial-value problem.

$$y'' + 6y' = \delta(t - 1), \quad y(0) = 0, \quad y'(0) = 1$$

Need Help?

Read It

14. Question Details

ZillDiffEQ9 7.5.009.EP. [4903577]

Consider the following initial-value problem.

$$y'' + 10y' + 26y = \delta(t - 2\pi), \quad y(0) = 0, \quad y'(0) = 0$$

Find the Laplace transform of the differential equation. (Write your answer as a function of s .)

$$\mathcal{L}\{y\} = \boxed{}$$

Use the Laplace transform to solve the given initial-value problem.

$$y(t) = \left(\boxed{} \right) + \left(\boxed{} \right) \mathcal{U}\left(t - \boxed{}\right)$$

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15. Question Details

ZillDiffEQ9 7.R.012. [3745170]

Fill in the blank. (Enter your answer in terms of s .)

$$\mathcal{L}\{\sin 6t \mathcal{U}(t - \pi)\} = \boxed{}$$

Need Help? [Read It](#)

16. Question Details

ZillDiffEQ9 7.R.015. [3745151]

Fill in the blank. (Enter your answer in terms of t .)

$$\mathcal{L}^{-1}\left\{\frac{1}{(s-3)^7}\right\} = \boxed{}$$

Need Help? [Read It](#)

17. Question Details

ZillDiffEQ9 7.R.021. [3745309]

Fill in the blank.

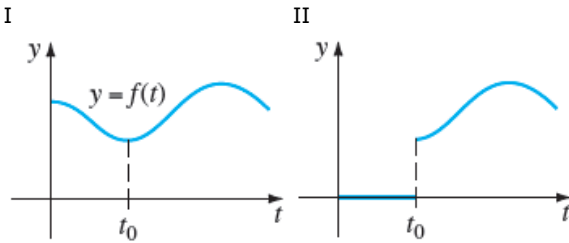
$$\mathcal{L}\{e^{-8t}\} \text{ exists for } s > \boxed{}.$$

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18. Question Details

ZillDiffEQ9 7.R.025. [3745202]

Use the unit step function to write down an equation for graph II in terms of the function $y = f(t)$ shown in graph I.



- ☐ $f(\mathcal{U}(t - t_0))$
☐ $f(t - t_0) \cdot \mathcal{U}(t - t_0)$
☐ $f(t) \cdot \mathcal{U}(t - t_0)$
☐ $\frac{f(t)}{\mathcal{U}(t - t_0)}$
☐ $f(t) \cdot \mathcal{U}(t_0)$

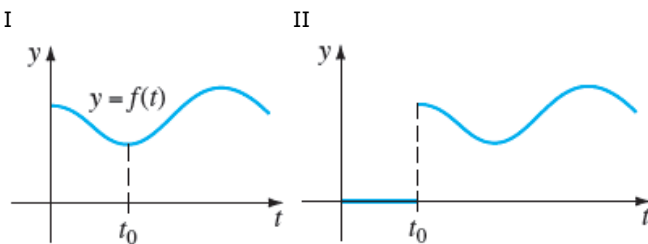
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19. Question Details

ZillDiffEQ9 7.R.027. [3745306]

Use the unit step function to write down an equation for graph II in terms of the function $y = f(t)$ shown in graph I.



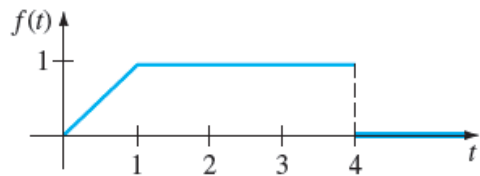
- ☐ $f(t) \cdot \mathcal{U}(t - t_0)$
☐ $f(t - t_0) \cdot \mathcal{U}(t_0)$
☐ $f(t - t_0) \cdot \mathcal{U}(t - t_0)$
☐ $\frac{f(t)}{\mathcal{U}(t - t_0)}$
☐ $f(\mathcal{U}(t - t_0))$

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20. Question Details

ZillDiffEQ9 7.R.029. [3745250]

Express f in terms of unit step functions.

- ☐ $t\mathcal{U}(t-1) - (t-1) - \mathcal{U}(t-4)$
☐ $t + \mathcal{U}(t-4)$
☐ $t + \mathcal{U}(t-1) - \mathcal{U}(t-4)$
☐ $t - 1 + \mathcal{U}(t-4)$
☐ $t - (t-1)\mathcal{U}(t-1) - \mathcal{U}(t-4)$

Find $\mathcal{L}\{f(t)\}$ and $\mathcal{L}\{e^t f(t)\}$. (Enter your answer in terms of s .)

$$\mathcal{L}\{f(t)\} = \boxed{}$$

$$\mathcal{L}\{e^t f(t)\} = \boxed{}$$

Need Help?**Read It**

21. Question Details

ZillDiffEQ9 7.R.036. [3745367]

Use the Laplace transform to solve the given equation.

$$y'' - 8y' + 20y = te^t, \quad y(0) = 0, \quad y'(0) = 0$$

$$y(t) = \boxed{}$$

Need Help?**Read It**

22. Question Details

ZillDiffEQ9 7.R.041. [3745364]

Use the Laplace transform to solve the given equation.

$$y'(t) = \cos t + \int_0^t y(\tau) \cos(t-\tau) d\tau, \quad y(0) = 1$$

$$y(t) = \boxed{}$$

Need Help?**Read It**

23. Question Details

ZillDiffEQ9 7.R.043. [3745328]

Use the Laplace transform to solve the system.

$$x' + y = t$$

$$16x + y' = 0$$

$$x(0) = 2, y(0) = 4$$

$x =$

$y =$

Need Help?

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24. Question Details

ZillDiffEQ9 7.R.044. [3745182]

Use the Laplace transform to solve the system.

$$x'' + y'' = e^{2t}$$

$$2x' + y'' = -e^{2t}$$

$$x(0) = 0, y(0) = 0$$

$$x'(0) = 0, y'(0) = 0$$

$x =$

$y =$

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Assignment Details

Name (AID): Math 2C03 2021 Pracpb 12 Sec 7.4-5 (18698062)

Submissions Allowed: 20

Category: Homework

Code:

Locked: Yes

Author: Lia Bronsard (bronsard@mcmaster.ca)

Last Saved: Apr 4, 2021 06:09 PM EDT

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